



# **INSTRUCTIONS:**

1. This Questions paper contains 12 printed pages. The question paper contains 20 questions in each of 3 parts, in total, 60 questions. All of them are compulsory. *Please ensure that the question Paper you have received contains all Questions and pages. If you find some mistake like missing questions or pages then contact the invigilator immediately.* 

# <u>SECTION – I</u>

Each question in this section has **ONLY ONE** correct alternative and carry **3 marks** each. There is **NEGATIVE** marking and 1 mark will be deducted for each wrong answer.

#### SECTION - II

Each question in this section has **ONE OR MORE THAN ONE** correct alternative and carry **5 marks** each.

There is **NEGATIVE** marking and **1 mark** will be deducted for each wrong answer. There is no partial marking.

#### SECTION - III

This section contains **Two Comprehensions** based on each there are three questions which have only one correct alternative and carry **3 marks** each.

There is **NEGATIVE** marking and **1 mark** will be deducted for each wrong answer.

- 2. Indicate the correct answer(s) for each question by filling appropriate bubble(s) in your OMR sheet.
- 3. Use only HB pencil or Black/Blue Ball Pen for darkening the bubble(s).
- 4. Use of calculator, Log Table, Slide Rule & Mobile is not allowed.
- 5. No extra sheet will be provided for rough work.





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#### PHYSICS







1

**Q6.** A small block of mass m lying at rest at point P of a wedge having a smooth semicircular track of radius R. What should be the minimum value of horizontal acceleration  $a_0$  of wedge so that mass can just reach the point Q?



(d) Not possible

(d)  $\frac{\sqrt{7} \,\mathrm{mv}}{2}$ 

(a) g/2 (b)  $\sqrt{g}$ 

(c) g

**Q7.** A projectile of mass m is thrown with velocity v making an angle of 30° with vertical. Neglecting air resistance the magnitude of change in momentum between the starting point and at the maximum height is

(a) 
$$\frac{mv}{2}$$
 (b)  $\frac{\sqrt{3} mv}{2}$  (c)  $mv$ 

**Q8.** From the top of a tower, a stone is thrown up and it reaches the ground in time  $t_1$ . A second stone is thrown down with the same speed and it reaches the ground in time  $t_2$ . A third stone is released from rest and it reaches the ground in time  $t_3$ .

(a) 
$$t_3 = \frac{1}{2}(t_1 + t_2)$$
 (b)  $t_3 = \sqrt{t_1 t_2}$  (c)  $\frac{1}{t_3} = \frac{1}{t_2} - \frac{1}{t_1}$  (d)  $t_3^2 = t_1^2 - t_2^2$ 

**Q9.** A particle is thrown with a speed u at an angle  $\theta$  to the horizontal. When the particle makes an angle  $\phi$  with the horizontal, its speed changes to v, then

(a)  $\upsilon = u \cos \theta$  (b)  $\upsilon = u \cos \theta \cdot \cos \phi$  (c)  $\upsilon = u \cos \theta \cdot \sec \phi$  (d)  $\upsilon = u \sec \theta \cdot \cos \phi$ 

**Q10.** A ball of mass m is tied up with string and rotated along a horizontal circle of radius r. At an instant, its velocity is v, and tension in string is T, the force required for circular motion is

(a) 
$$T - \frac{mv^2}{r}$$
 (b)  $T + \frac{mv^2}{r}$  (c)  $\frac{mv^2}{r}$  (d) Zero



# **ONE OR MORE OPTIONS ARE CORRECT**

- Q11. The two blocks A and B of equal mass are initially in contact when released from rest on the inclined plane. The coefficients of friction between the inclined plane and A and B are  $\mu_1$  and  $\mu_2$  respectively.
  - (a) If  $\mu_1 > \mu_2$ , the blocks will always remain in contact.
  - (b) If  $\mu_1 < \mu_2$ , the blocks will slide down with different accelerations.
  - (c) If  $\mu_1 > \mu_2$ , the blocks will have a common acceleration  $\frac{1}{2}(\mu_1 + \mu_2)g\sin\theta$ .
  - (d) If  $\mu_1 < \mu_2$ , the blocks will have a common acceleration  $\frac{\mu_1 \mu_2 g}{\mu_1 + \mu_2} \sin \theta$ .
- The vessel shown in the figure has two sections of areas of cross-section A1 and A2. A liquid of Q12. density  $\rho$  fills both the sections, up to a height h in each. Neglect atmospheric pressure.
  - (a) The pressure at the base of the vessel is  $2h\rho g$ .
  - (b) The force exerted by the liquid on the base of the vessel is  $2h\rho g A_2$ .
  - (c) The weight of the liquid is  $< 2h\rho g A_2$ .
  - (d) The walls of the vessel at the level X exert a downward force  $h\rho g (A_2 A_1)$  on the liquid.
- Q13. A solid sphere, a cone and a cylinder are floating in water. All have same mass, density and radius. Let f<sub>1</sub>, f<sub>2</sub> and f<sub>3</sub> are fraction of their volumes inside the water respectively, and  $h_1$ ,  $h_2$  and  $h_3$  are their depths inside water, respectively. Then

(a) 
$$f_1 = f_2 = f_3$$
 (b)  $f_3 > f_2 > f_1$   
(c)  $h_3 < h_1$  (d)  $h_3 < h_2$ 

- In the figure shown, there is no friction between B and ground and  $\mu = \frac{2}{3}$  between A Q14. 2M and B.
  - (a) The net work done on block A with respect to B is zero
  - (b) The net work done on block A with respect to ground for a displacement 'S' is  $\frac{MgS}{2}$
  - (c) The net work done on block B with respect to ground for a displacement 'S' is  $\frac{2MgS}{2}$
  - (d) The work done by friction with respect to ground on A and B is equal and opposite in sign.







### PASSAGE TYPE QUESTIONS

#### Passage - 1 (Q. 15-17)

A small block of mass m is projected horizontally from the top of the smooth and fixed hemisphere of radius r with speed u as shown. For values of  $u \ge u_0$ ,  $(u_0 = \sqrt{gr})$  It does not slide on the hemisphere. [i.e. leave the surface at the top itself]









| Q26. | A certain solution of co<br>Relative Molecular Ma                | oncentration 0.2M having<br>ss of the solute is                       | a density of 1.2g/cc. If the  | he molality of the solution is 0.25m, the   |
|------|--|---|---|---|
|      | (a) 2000   | (b) 2500  | (c) 4000  | (d) 1500  |
| Q27. | 22 g of propane is con<br>water collected is                     | npletely burned in air and  | the final products are co   | ooled to room temperature, the amount of  |
|      | (a) 18ml   | (b) 36ml  | (c) 54ml  | (d) 9ml   |
| Q28. | Propanoic acid is first<br>is then collected and t<br>(a) Ethane | treated with soda lime an<br>further treated with conce<br>(b) Ethene | d then heated with oxyg<br>entrated strong acid at 44<br>(c) Ethyne | en over Cu catalyst at 300°C, the product<br>I3K to give a gas. The gas is<br>(d) Benzene |
| Q29. | Which of the following   | is not a linear molecule  |   |   |
|      | (a) HCN  | (b) NO <sub>2</sub>   | (c) CS <sub>2</sub>   | (d) C <sub>2</sub> H <sub>2</sub>   |
| Q30. | Ice and water are in e   | quilibrium at 0°C and 1 at  | m pressure, Suddenly th   | e pressure is increased, one observes   |
|      | that<br>(a) No change  |   | (b) More ice will form  |   |
|      | (c) More ice will melt   |   | (d) The equilibrium cor   | nstant will change  |

SPACE FOR ROUGH WORK



### **ONE OR MORE OPTIONS ARE CORRECT**

- Q31. The compounds among the following that cannot exist at room temperature are (a) (b) (c) (d) Q32. The products obtained when tertbutyl chloride undergoes Wurtz reaction (a) Isobutene (b) Isobutane (c) 2,2,3,3-tetramethylbutane (d) 2,4-dimethyl hexane Q33. An aqueous solution of NaOH is marked 10%w/w having a density of 1.25g/ml means (a) 0.3125M (b) 0.3125m (c) Mole fraction of solvent 20/21 (d) 0.3125N Q34. Addition of inert gas at constant volume does not alter which of the following equilibriums (a)  $2HI(g) \square H_2(g) + I_2(g)$ 
  - (c)  $C(s) + O_2(g) \square CO_2(g)$

(b)  $PCI_{5}(g) \square PCI_{3}(g) + CI_{2}(g)$ (d)  $H_{2}S(g) \square H_{2}(g) + S(s)$ 



#### PASSAGE TYPE QUESTIONS

#### Passage-1(Q. 35-37)

At 298K the ionic product of water or any aqueous solution is  $10^{-14}$ , it may change depending on temperature and So will the pH scale and its neutral point. The definition of pH is potentio de Hydrogen ion meaning the negative logarithm of the hydrogen ion concentration in the aqueous solution. pH is the measure of acidic or alkaline nature of the solution.

- **Q35.** At 320K the pH of pure water is 6.5, the ionic product of water is (a)  $10^{-14}$  (b)  $10^{-13}$  (c)  $3.17 \times 10^{-14}$  (d)  $10^{-15}$
- Q36.When rain is accompanied by thunderstorm the acidic nature of rainwater will(a) Remain same(b) Increase(c) Decrease(d) will become neutral
- **Q37.** At 298K, 50ml of 0.1M NaOH ,50ml of 0.1M KOH and 50ml of 0.1M H<sub>2</sub>SO<sub>4</sub> , the resulting pH will be (a) 12.3 (b) 7 (c) 11 (d) 1.7

# Passage-2 (Q. 38-40)

#### Markonikov once said

During hydrohalogenation of alkenes the negative part of the addendum goes to that carbon atom of the double bond which forms a Stable carbocation after protonation of the double bond. However there are instances when peroxide had inhibited the reactions and caused contradicting results

| Q38. | Consider the reaction | CH <sub>3</sub> -CH=CH <sub>2</sub> | + | HBr | ightarrow , the hybridization sta               | ate of the | e intermediate for | med is |
|------|-----------------------|-------------------------------------|---|-----|---|------------|--------------------|--------|
|      | (a) sp <sup>2</sup>   | (b) sp <sup>3</sup>                 |   |     | (c) Between sp <sup>2</sup> and sp <sup>3</sup> |            | (d) Unhybridised   |        |

Q39. Consider all major and minor products total number of possible products when but-1-ene reacts with HBr are (a) 2 (b) 3 (c) 1 (d) 4

SPACE FOR ROUGH WORK

Q40.The major product when propene reacts with HCl in peroxide is<br/>(a) 1-chloropropane(b) 2-chloropropane(c) propane

(d) no reaction

ANDEY SIR'S IITIAN CLASSES

#### SINGLE OPTIONS CORRECT ONLY

If the straight lines ax + by + p = 0 and  $x \cos \alpha + y \sin \alpha = p$  enclose an angle of  $\frac{\pi}{4}$  and the line Q41. x sin  $\alpha$  – y cos  $\alpha$  = 0 meets them at the same point, then  $a^2 + b^2$  is (a) 4 (b) 3 (c) 2 (d) 1 If  $P\left(1+\frac{t}{\sqrt{2}}, 2+\frac{t}{\sqrt{2}}\right)$  be any point on a line, then the range of values of t for which the point P lies between the Q42. parallel lines x + 2y = 1 and 2x + 4y = 15 is (a)  $-\frac{4\sqrt{2}}{3} < t < \frac{5\sqrt{2}}{6}$  (b)  $0 < t < \frac{5\sqrt{2}}{6}$  (c)  $-\frac{4\sqrt{2}}{5} < t < 0$  (d)  $-\frac{4\sqrt{2}}{3} < t < \frac{\sqrt{2}}{6}$ Q43. The vertices of a variable triangle are (3, 4), (5  $\cos \theta$ , 5  $\sin \theta$ ), and (5  $\sin \theta$ , -5  $\cos \theta$ ), where  $\theta \in \mathbb{R}$ . The locus of its orthocenter is (a)  $(x+y-1)^2 + (x-y-7)^2 = 100$ (b)  $(x+y-7)^2 + (x-y-1)^2 = 100$ (d)  $(x+y-7)^2 + (x-y+1)^2 = 100$ (c)  $(x+y-7)^2 + (x+y-1)^2 = 100$ Sum to n terms of the series  $1^3 + 3 \cdot 2^3 + 3^3 + 3 \cdot 4^3 + 5^3 + \dots$  is (n is even) Q44. (a)  $\frac{n(n^2+1)(2n+1)}{3}$  (b)  $\frac{n(n^3+4n^2+10n+8)}{8}$  (c)  $\frac{n(n^3+1)}{8}$ (d)  $\frac{n^2(2n^2+6n+5)}{4}$ The sum of all integers from 1 to 100 which are divisible by 2 or 5, is Q45. (a) 3050 (b) 3000 (c) 2550 (d) 1050 The solution set of the inequation  $|x + \frac{1}{x}| < 4$ , is Q46. (a)  $(2-\sqrt{3}, 2+\sqrt{3}) \cup (-2-\sqrt{3}, -2+\sqrt{3})$  (b)  $R - (2-\sqrt{3}, 2+\sqrt{3})$ (c)  $R - (-2 - \sqrt{3}, -2 + \sqrt{3})$ (d) None of these



|      | . If $m = \sum_{r=0}^{\infty} a^r$ , $n = \sum_{r=0}^{\infty} b^r$ , where $0 < a, b < 1$ , then the quadratic equation whose roots are a and b is |   |  |         |  |
|------|--|---|--|---------|--|
|      | (a) $mnx^2 + (m + n + 2mn)x + mn$  | -m-n+1=0 (b) mnx <sup>2</sup>           | (b) $mnx^2 - (2mn - m - n)x + mn - m - n + 1 = 0$  |         |  |
|      | (c) $mnx^2 + (2mn + m + n)x + mn + m$  | +m+n+1=0 (d) mnx <sup>2</sup>           | -(2mn+m+n)x+mn+m+n+1=0   |         |  |
| Q48. | If $\frac{1}{1.2.3.4} + \frac{1}{2.3.4.5} + \frac{1}{3.4.5.6} + \dots$   | .to n terms = $\frac{1}{18} - f(n)$ . T | hen f(n) is equal to   |         |  |
|      | (a) $\frac{n}{(n+1)(n+2)(n+3)}$  | (b) <u>3(n+</u>                         | $\frac{1}{1)(n+2)(n+3)}$   |         |  |
|      | (c) $\frac{1}{n(n+1)(n+2)(n+3)}$   | (d) $\frac{1}{3(n+1)}$                  | (d) $\frac{n}{3(n+1)(n+2)(n+3)}$   |         |  |
| Q49. | The solution set of $\left \frac{x+1}{x}\right  +  x+1 $   | $   = \frac{(x+1)^2}{ x }$ is           |  |         |  |
|      | (a) $\{x \mid x \ge 0\}$ (b) $\{x \mid x \ge 0\}$  | $x > 0$ $\cup$ {-1} (c) {-1, 1}         | (d) $\{x \mid x \ge 1 \text{ or } x \le -1\}$  |         |  |
| Q50. | Let A, B and C be finite sets suc  | h that $A \cap B \cap C = \phi$ and     | each one of the sets A ${\vartriangle}$ B, B ${\vartriangle}$ C and C ${\vartriangle}$ A | has 100 |  |
|      | elements. The number of elements (a) 250 (b) 200   | nts in $A \cup B \cup C$ is<br>(c)150   | (d) 300  |         |  |
|      | (d) 200  | (0)100                                  |  |         |  |
|      |  | SPACE FOR ROUGH                         | WORK   |         |  |
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#### ONE OR MORE OPTIONS ARE CORRECT

**Q51.** Find the equation of the line passing through the point (2, 3) & making intercept of length 2 units between the lines y + 2x = 3 & y + 2x = 5.

(a) 
$$3x - 4y = 18$$
 (b)  $x = 2$  (c)  $3x + 4y = 18$  (d)  $x + 2 = 0$ 

**Q52.** If (m+1)th, (n+1)th and (r+1)th terms of an A.P. are in G.P. and m, n, r are in H.P. where  $m \neq n \neq r$ , then the ratio of the first term of the A.P. to its common difference is

(a) 
$$-\frac{n}{2}$$
 (b)  $-\frac{m}{2}$  (c) r (d)  $-\frac{mr}{m+r}$ 

- **Q53.** If  $\alpha, \beta$  ( $\alpha \neq \beta$ ) are the roots of  $x^2 p(x+1) q = 0$ , then (a)  $(\alpha + 1)(\beta + 1) = 1 - q$ (b)  $(\alpha + 1)(\beta + 1) = 1 + q$ (c)  $\frac{(\alpha + 1)^2}{(\alpha + 1)^2 + q - 1} + \frac{(\beta + 1)^2}{(\beta + 1)^2 + q - 1} = q$ (d)  $\frac{\alpha^2 + 2\alpha + 1}{\alpha^2 + 2\alpha + q} + \frac{\beta^2 + 2\beta + 1}{\beta^2 + 2\beta + q} = q$
- **Q54.** If  $||x^2 5x + 4| |2x 3|| = |x^2 3x + 1|$ , then x belongs to the interval

(a)  $(-\infty, 1]$  (b)  $\left(1, \frac{3}{2}\right)$  (c)  $\left[\frac{3}{2}, 4\right]$  (d)  $(4, +\infty)$ 



#### PASSAGE TYPE QUESTIONS

#### Passage - 1 (Q. 55-57)

Let L be the line belonging to the family of straight lines (a+2b) x + (a-3b) y + a - 8b = 0,  $a, b \in \mathbb{R}$ , which is the farthest from the point (2, 2). Q55. The equation of line L is (d) None of these (a) x + 4y + 7 = 0(b) 2x + 3y + 4 = 0(c) 4x - y - 6 = 0Q56. Area enclosed by the line L and the coordinate axes is (d) None of these (a) 4/3 sq. units (b) 9/2 sq. units (c) 49/8 sq. units Q57. If L is concurrent with the line x - 2y + 1 = 0 and  $3x - 4y + \lambda = 0$ , then the value of  $\lambda$  is (a) 2 (b) 1 (c) -4 (d) 5 Passage - 2 (Q. 58-60) Let V<sub>r</sub> denote the sum of first r terms of an arithmetic progression (A.P.) whose first term is r and the common difference is (2r-1). Let  $T_r = V_{r+1} - V_r - 2$ ;  $Q_r = T_{r+1} - T_r$ ,  $W_r = \frac{1}{T_r} + \frac{1}{4(r+1)}$  and  $X_r = 3^{Qr}$  for r = 1, 2, ...Q58. The sum  $V_1 + V_2 + ... + V_n$  is (a)  $\frac{1}{12}n(n+1)(3n^2-n+1)$  (b)  $\frac{1}{12}n(n+1)(3n^2+n+2)$  (c)  $\frac{1}{2}n(2n^2-n+1)$  (d)  $\frac{1}{3}(2n^3-2n+3)$ Q59. T<sub>r</sub> is always (a) An odd number (b) An even number (c) A prime number (d) A composite number Q60.  $W_1$ ,  $W_2$ ,  $W_3$ ,... are in (b) G.P. (a) A.P. (c) H.P. (d) A.G.P. SPACE FOR ROUGH WORK



# **ANSWERS KEY**

| Class: 11 <sup>th</sup> Movir | g 12 <sup>th</sup> (Non-Medical) |
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